

Axion-Like-Particles, Direct Detection & Solar constraints

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[JCAP 10(2021); ArXiv 2303.06968]



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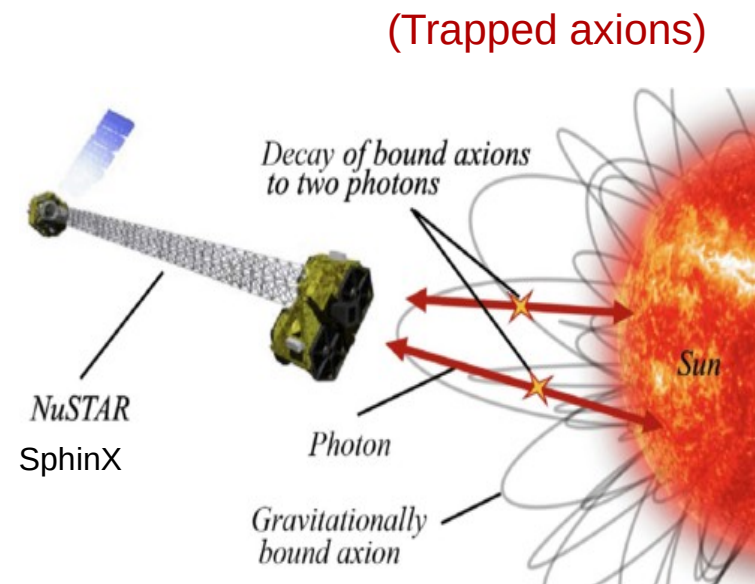
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Axion-Like-Particles, Direct Detection & Solar constraints

- Axions and extra-dimensions: direct detection? [MIMAC]

- ALPs & Solar constraints



[DeRocco et al., PRL 129 (2022)]

(Invisible) Axions, Strong CP problem and Dark Matter

[Peccei & Quin 1977; Weinberg 1978; Wilczek 1978]

- Strong CP problem:

$$L_{\text{SM}} = \dots + \frac{\alpha_s}{8\pi} \theta \overset{\text{CP}}{G_a^{\mu\nu}} G_{\mu\nu a} + \dots$$

$$\longrightarrow d_n = 2.4 \times 10^{-16} \theta \quad \text{ecm} < 2.9 \times 10^{-26} \quad \longrightarrow \theta < 10^{-10}$$

- Axion: Pseudo-Nambu-Goldstone-Boson of a global $U(1)_{\text{PQ}}$, broken spontaneously at f_a

QCD: $V(a) \sim \Lambda_{\text{QCD}}^4 [1 - \cos(a/f_a)]$

$$L_a = \frac{1}{2} (\partial_\mu a)^2 + \frac{a}{f_a} \xi_s \frac{\alpha_s}{8\pi} \theta \tilde{G}_a^{\mu\nu} G_{\mu\nu a} + \frac{a}{f_a} \xi_{\text{em}} \frac{\alpha}{8\pi} \tilde{F}^{\mu\nu} F_{\mu\nu} \quad \longrightarrow \quad L_{\text{eff}} = \frac{1}{2} (\partial_\mu a)^2 - \frac{1}{2} m_a^2 a^2 + \frac{g_{a\gamma\gamma}}{4} a \tilde{F}^{\mu\nu} F_{\mu\nu} + g_{af} \frac{\partial_\mu a}{2m_f} \bar{f} \gamma^\mu \gamma^5 f + \dots$$

$$m_a \simeq 6 \mu\text{eV} \left(\frac{10^{12} \text{GeV}}{f_a} \right)$$

$$g_{a\gamma\gamma}(f_a, \xi_{\text{em}})$$

$$g_{ae}(f_a, \xi_{\text{em}})$$

$$\text{Models} \left\{ \begin{array}{l} \text{DFSZ} \quad H_u (1, 2, -1/2) + H_d (1, 2, 1/2) + \Phi (1, 1, 0) \\ \vdots \\ \text{KSVZ} \quad Q (3, 1, 0) + \Phi (1, 1, 0) \quad [g_{ae} \simeq 0] \\ \vdots \end{array} \right.$$

Parameter: $f_a \longleftrightarrow m_a$

[Dine-Fischler-Srednicki-Zhitnitsky] [Kim-Shifman-Vainshtein-Zakharov]

(Invisible) Axions, Strong CP problem and Dark Matter

[Preskill, Wise, Wilczek 1993; Dine & Fischler 1983; Abott & Sikivie 1983]

● Axions as Dark Matter: misalignment mechanism

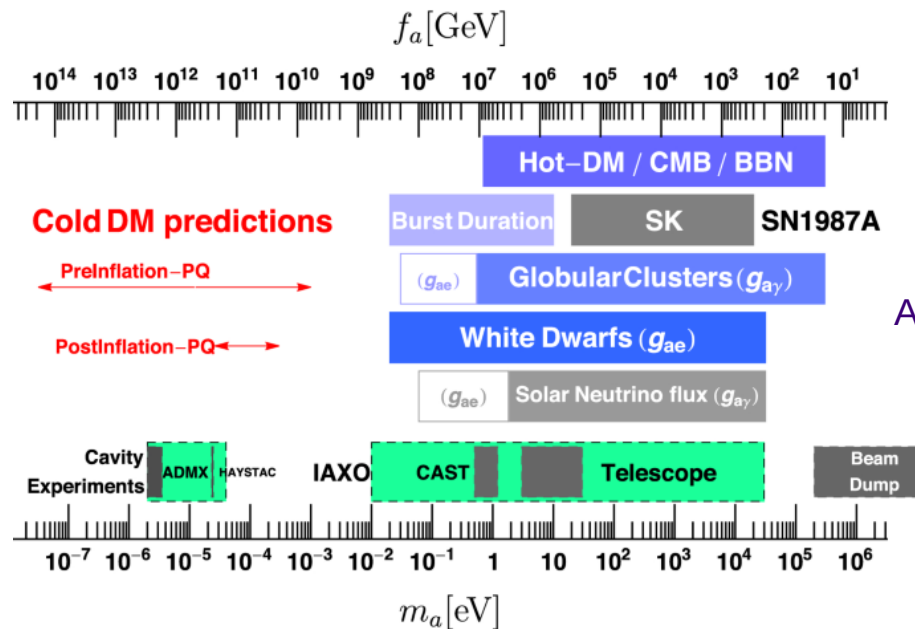
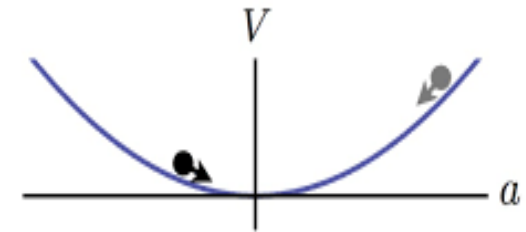
$$\left\{ \begin{array}{l} T \gg \text{GeV} \longrightarrow m_a = 0 \\ T < \text{GeV (QCD)} \longrightarrow m_a(T) > 0 \end{array} \right.$$

$$L_{\text{eff}} = \frac{1}{2} (\partial_\mu a)^2 - \frac{1}{2} m_a^2 a^2 + \frac{g_{a\gamma\gamma}}{4} a \tilde{F}^{\mu\nu} F_{\mu\nu} + \dots$$

Value of the field “frozen” until $H(t) < m_a(T)$, when it starts oscillating

$$\ddot{a} + 3H\dot{a} + m_a^2 a = 0 \quad H(t) = \text{Hubble rate}$$

Energy density of the oscillating field behaves as NR matter



Cosmology $\Omega_{\text{DM}} h^2 \leq 0.120 h$

$$\rho_{\text{DM}} \propto f_a^{7/8} \theta_0^2$$

Astrophysics

$$10^8 \text{ GeV} \leq f_a \leq 10^{12} \text{ GeV}$$

Experiments

(model dependent)

[Raffelt et. Al, EPJC 2019]

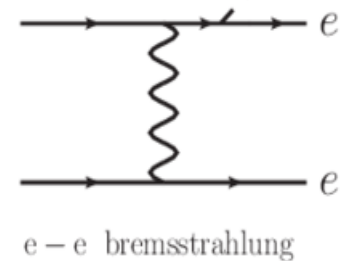
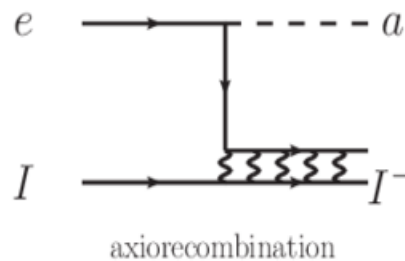
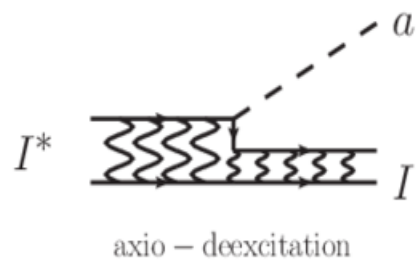
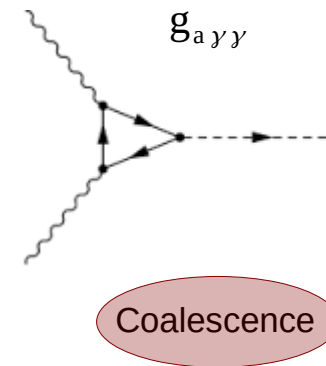
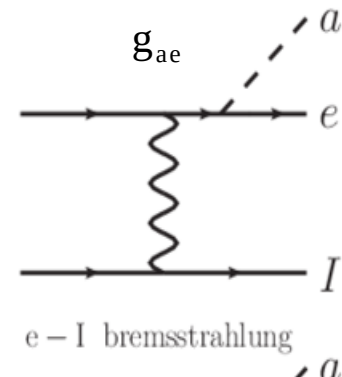
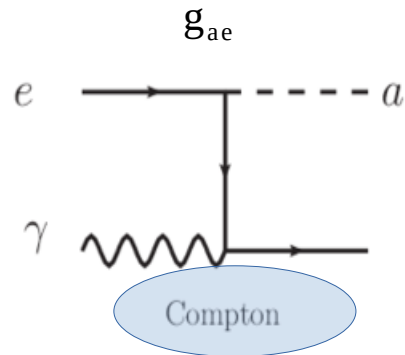
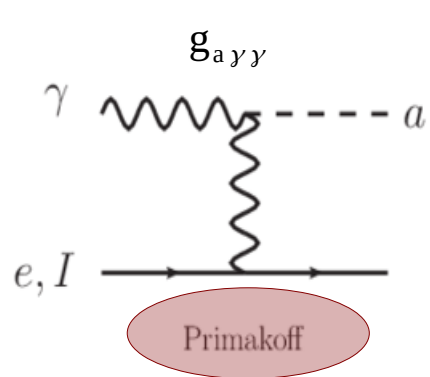
Axion-Like-Particles

Pseudo-Nambu-Goldstone-Boson of a weakly broken global symmetry

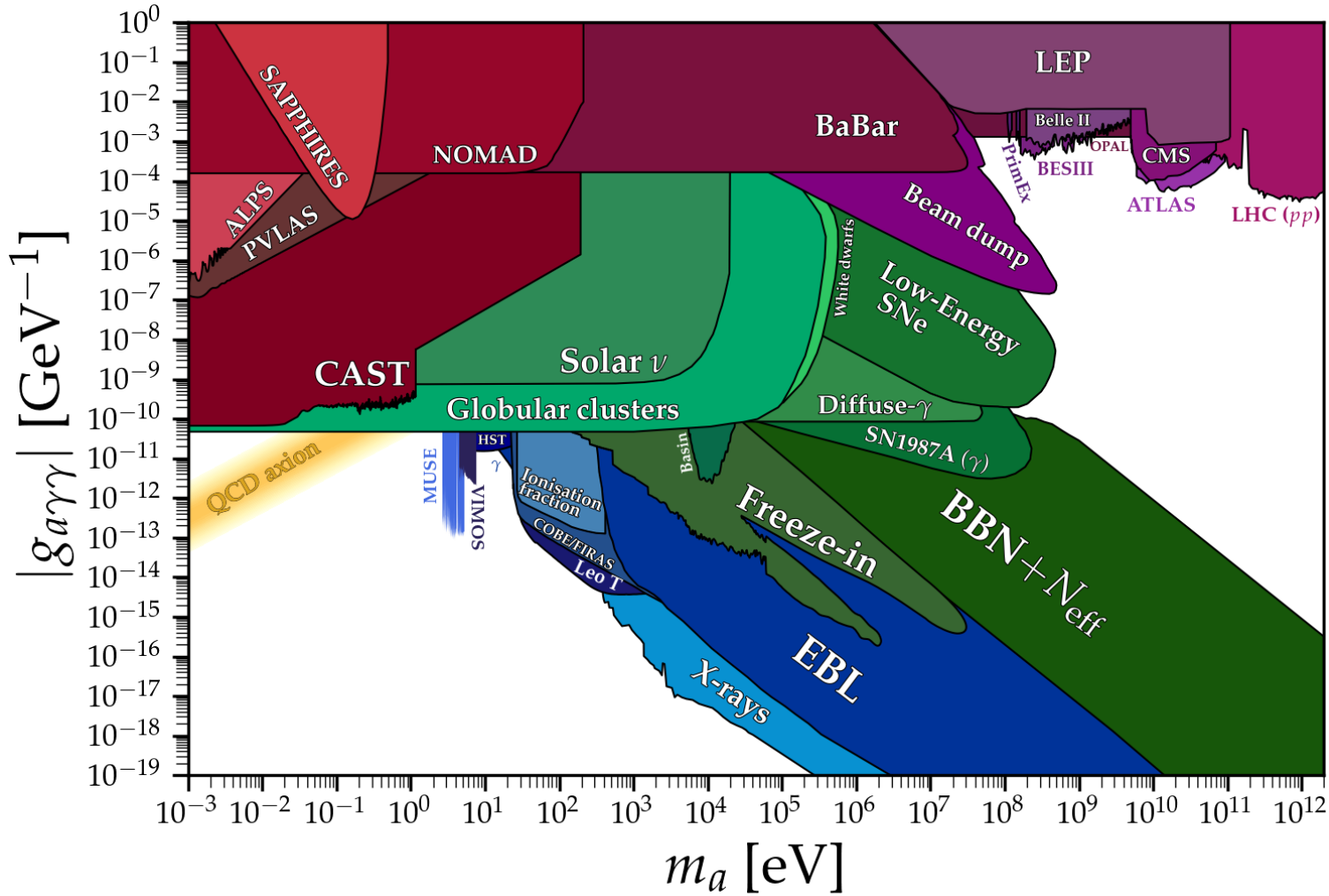
$$L_{\text{eff}} = \frac{1}{2}(\partial_\mu a)^2 - \frac{1}{2}m_a^2 a^2 + \frac{g_{a\gamma\gamma}}{4} a \tilde{F}^{\mu\nu} F_{\mu\nu} + g_{af} \frac{\partial_\mu a}{2m_f} \bar{f} \gamma^\mu \gamma^5 f + \dots$$

Parameters: m_a , $g_{a\gamma\gamma} [\text{GeV}^{-1}]$, g_{ae}

- ALP production (estellar objects)

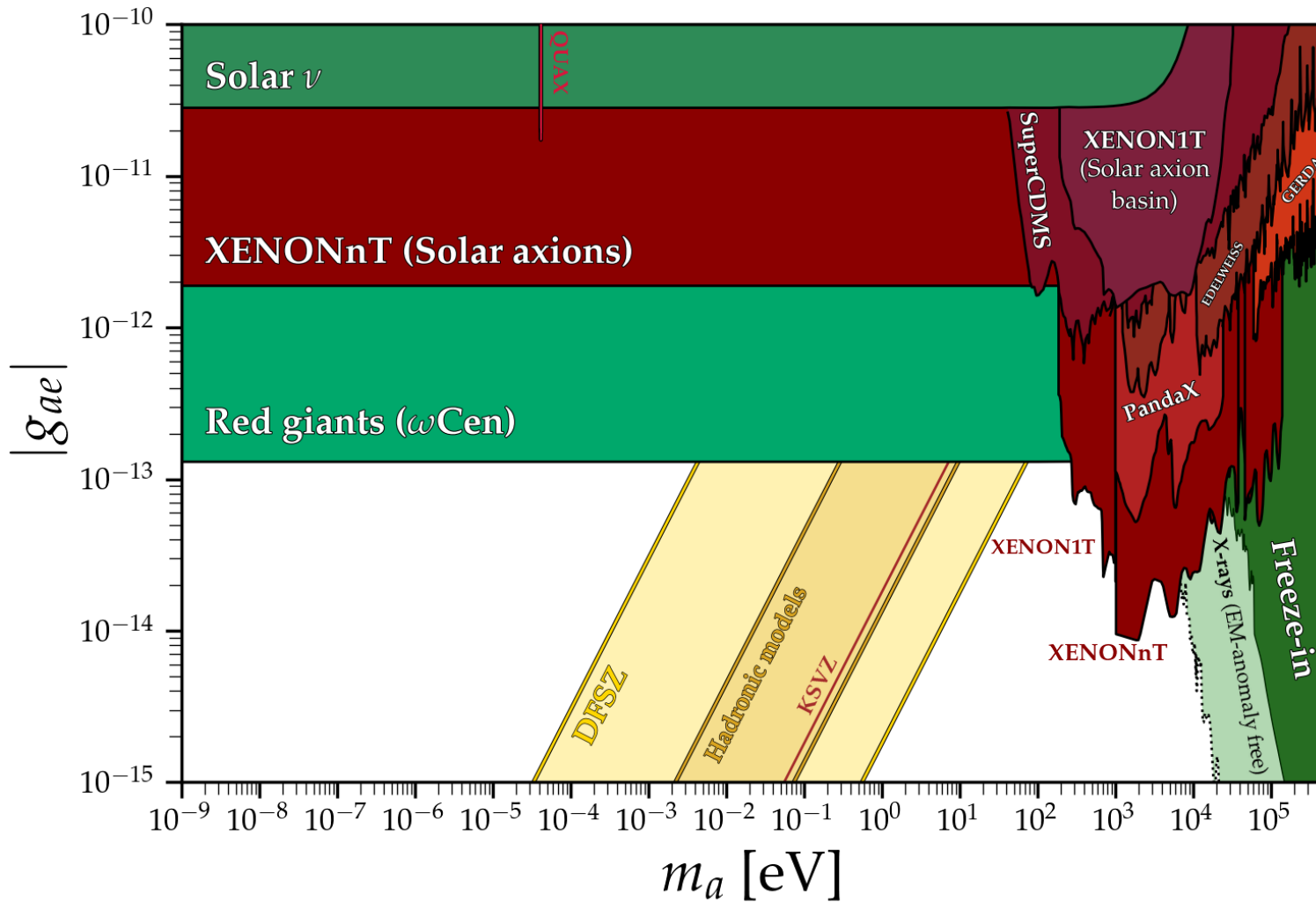


Axion-Like-Particles



[<https://cajohare.github.io/AxionLimits>]

Axion-Like-Particles

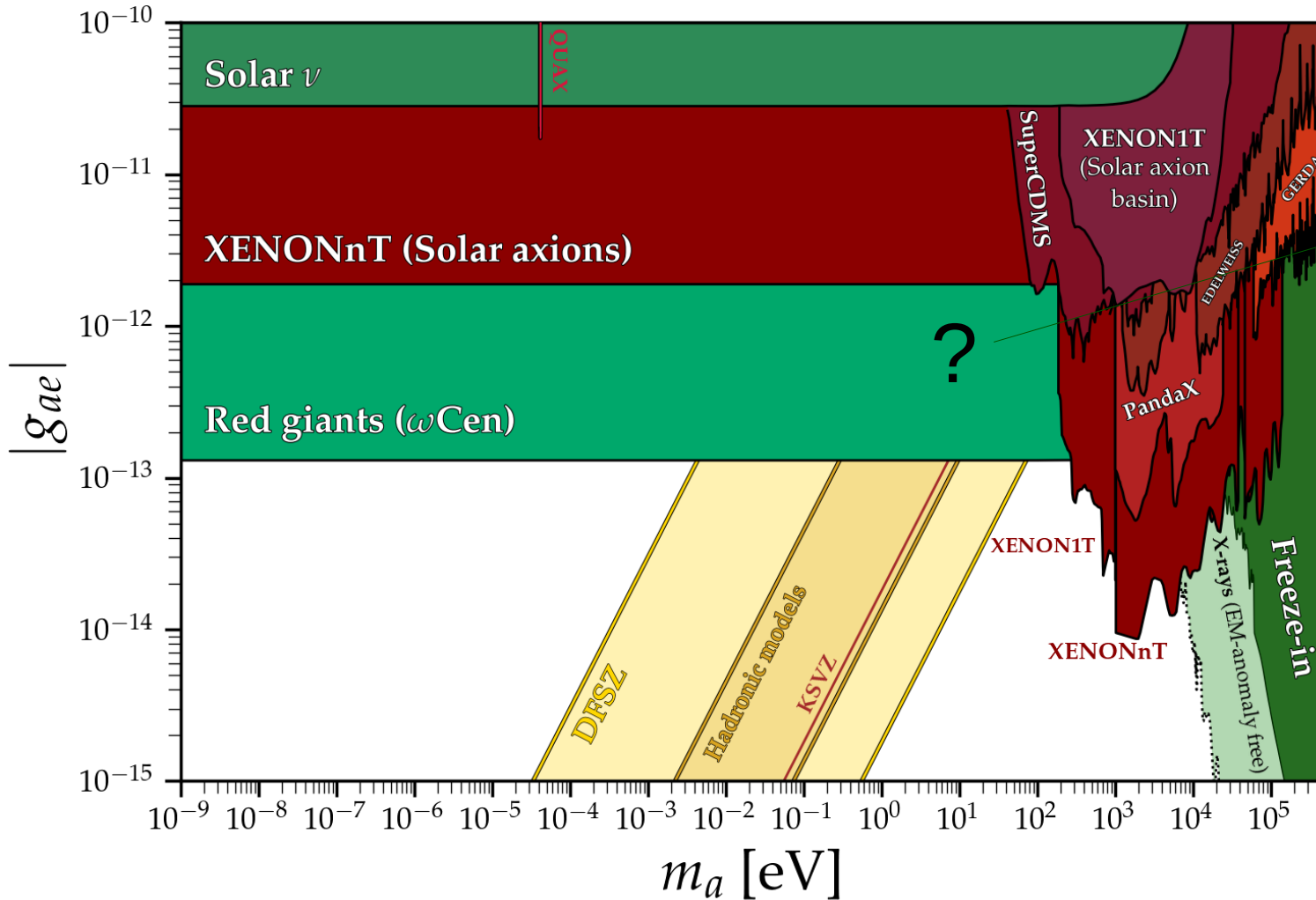


Astrophysical

Underground detectors

[<https://cajohare.github.io/AxionLimits>]

Axion-Like-Particles



ArXiv 2305.03113

They question this limit.

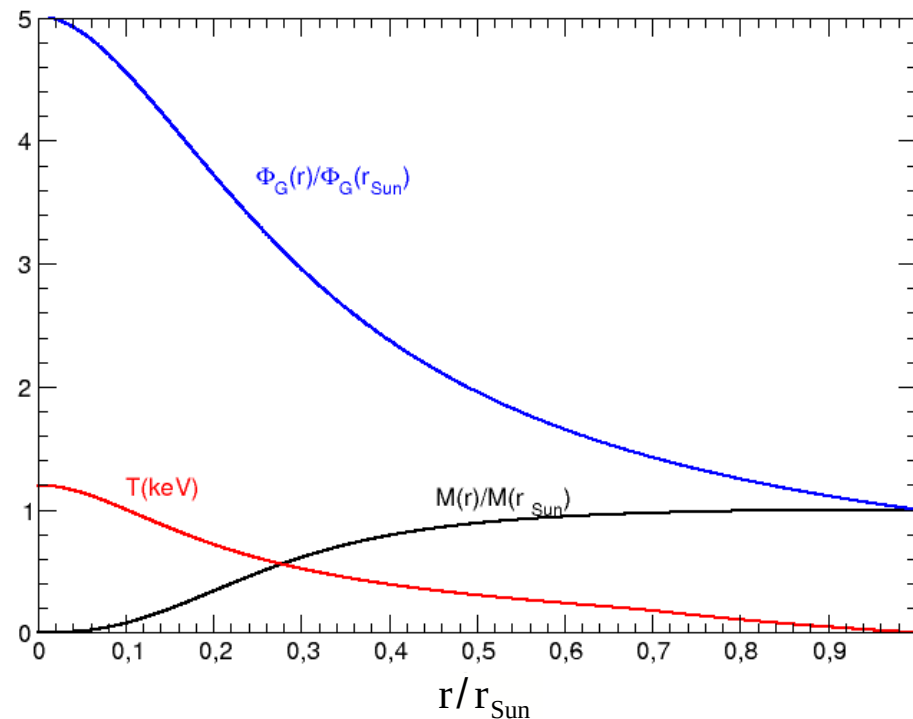
“Once stellar uncertainties and degeneracies are accounted for, $g_{ae} < 5 \times 10^{-13}$ is not excluded” (or even larger couplings...)

[<https://cajohare.github.io/AxionLimits>]

Axion-Like-Particles: Direct detection

- Light scalar $m \sim \mathcal{O}(\text{keV})$
- Direct detection through the **decay** into 2 γ 's (identical photons), instead of **recoil**
- ➔ Collab with **MIMAC** group (LPSC, Grenoble)
[Micro-tpc MAtRix of Chambers] [Directional DM detection] [3D Track reconstruction]
- “Look” at the **sun** as a source of potential candidates (\sim upto keV masses)

MIMAC



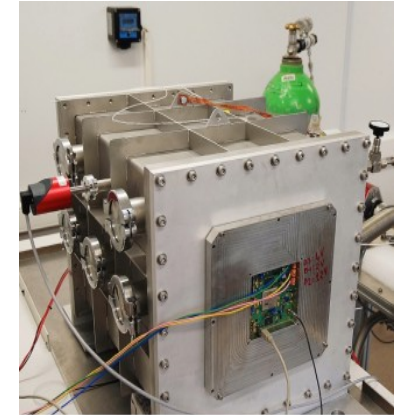
[Saclay Solar Model]

Axion-Like-Particles: Direct detection

- **Light scalar** $m \sim \mathcal{O}(\text{keV})$
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Collab with **MIMAC** group (LPSC, Grenoble)
 [Micro-tpc MAtrix of Chambers] [**Directional DM detection**] [3D Track reconstruction]



MIMAC

- “Look” at the **sun** as a source of potential candidates (\sim upto keV masses)

- **Axion :**

Flux of axions produced in the Sun may be detected with “axion telescopes” (CAST, IAXO), but they are too light for “standard” direct detection

- **Axion + large extra dimensions**



axion + KK modes

$$m_a \sim m_{\text{PQ}}, \quad m_{\text{KK}} \simeq \frac{n}{R}$$

$$L_{\text{eff}} = \frac{1}{2} \sum_{n=0} (\partial_\mu a_n)^2 - \frac{1}{2} m_a^2 a_0^2 - \frac{1}{2} \sum_{n>0} \frac{n^2}{R^2} a_n^2 + \frac{g_{a\gamma\gamma}}{4} \sum_{n=0} a_n \tilde{F}^{\mu\nu} F_{\mu\nu} + \dots$$

m_a long lived, DM candidate, m_{KK} may decay in the detector

$$a \rightarrow \gamma + \gamma$$

Size of the extra dimension $R > \text{keV}^{-1}$

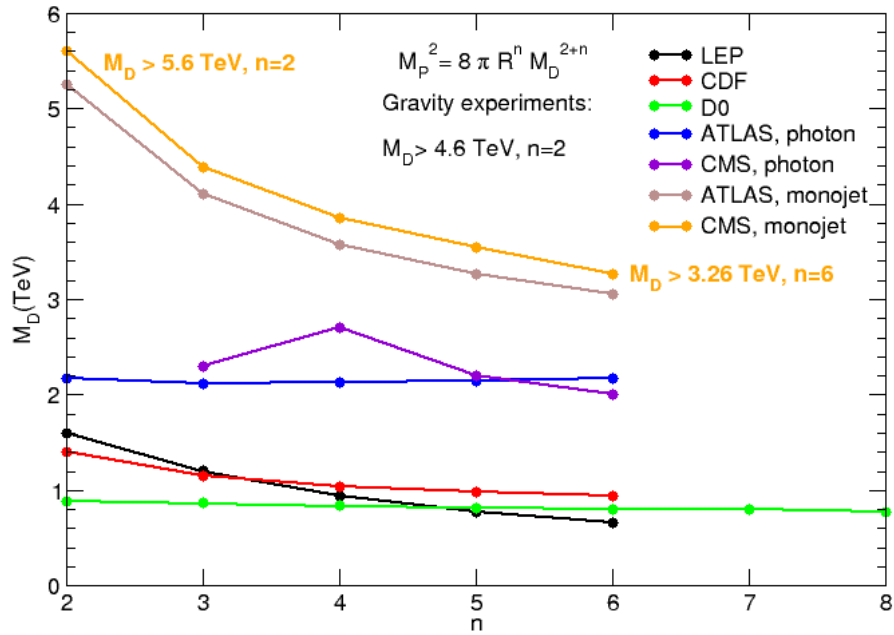


$m_{\text{KK}} \sim \mathcal{O}(\text{keV})$



no. extra dim $\delta \leq 3$

Experimental limits on LED

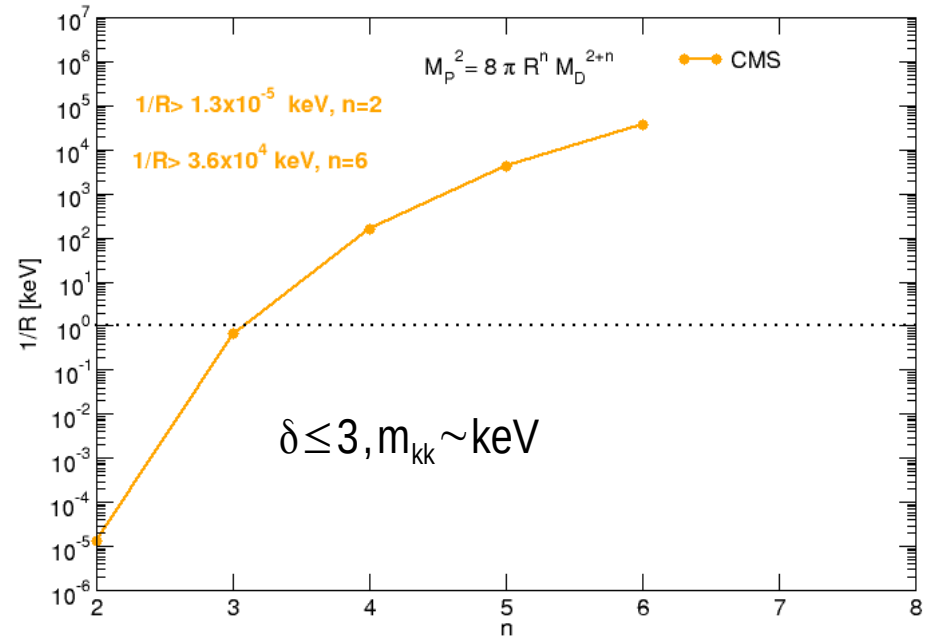


[D. M. Gingrich, arXiv: 1210.5923]

$$M_p^2 = 8 \pi R^n M_D^{n+2}$$

4D Planck scale

n D Fundamental scale



KK axions and solar flux ($g_{ae}=0$)

- Flux due to Primakoff and Coalescence:

$$\rightarrow \frac{d\Phi^P}{dE} = 4.2 \times 10^{10} \text{ cm}^{-2} \text{ s}^{-1} \text{ keV}^{-1} \left(\frac{g_{a\gamma\gamma}}{10^{-10} \text{ GeV}^{-1}} \right)^2 \frac{E p^2}{e^{E/1.1} - 0.7} (1 + 0.02 m)$$

$$\frac{d\Phi^C}{dE} = 1.68 \times 10^9 \text{ cm}^{-2} \text{ s}^{-1} \text{ keV}^{-1} \left(\frac{g_{a\gamma\gamma}}{10^{-10} \text{ GeV}^{-1}} \right)^2 m^4 p \left(1 + 0.0006 E^3 + \frac{10}{0.2 + E^2} \right) e^{-E}$$

- Event rate in a detector of volume V :

density of states $\rho(m) = \frac{2\pi^{\delta/2}}{\Gamma[\delta/2]} (Rm)^\delta m^{-1}$

$$R(\delta) \simeq \int d\omega \underbrace{\int dm \rho(m)}_{\text{KK-tower}} \Gamma_{a\gamma\gamma} m V \int_{\omega+m^2/4\omega} dE \frac{2}{p^2} \frac{d\Phi}{dE}$$

KK-tower

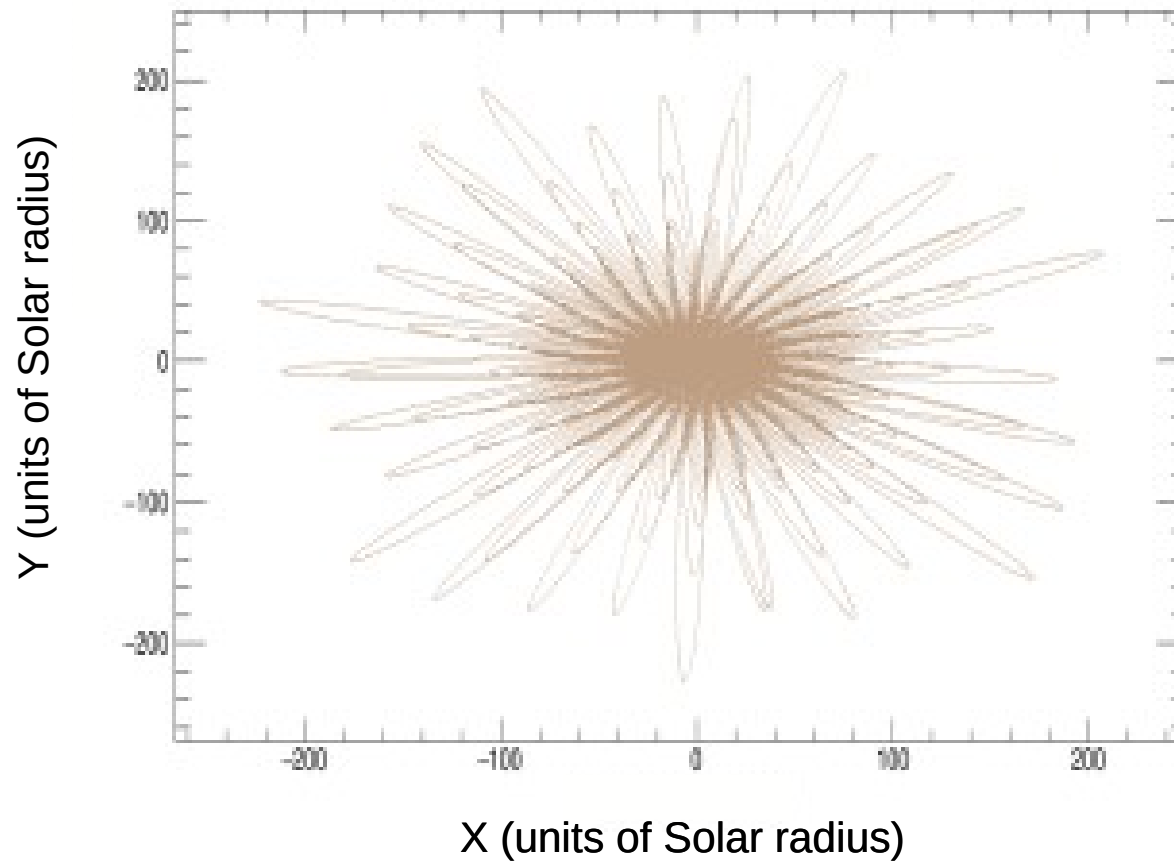
$$R(\delta) \sim 10^{-3(7-\delta)/2} \left(\frac{g_{a\gamma\gamma}}{10^{-12} \text{ GeV}^{-1}} \right)^4 \left(\frac{R}{\text{keV}^{-1}} \right)^\delta$$

no. of events per day per cubic m

Too small!!

KK axions and solar flux ($g_{ae}=0$): “trapped” axions

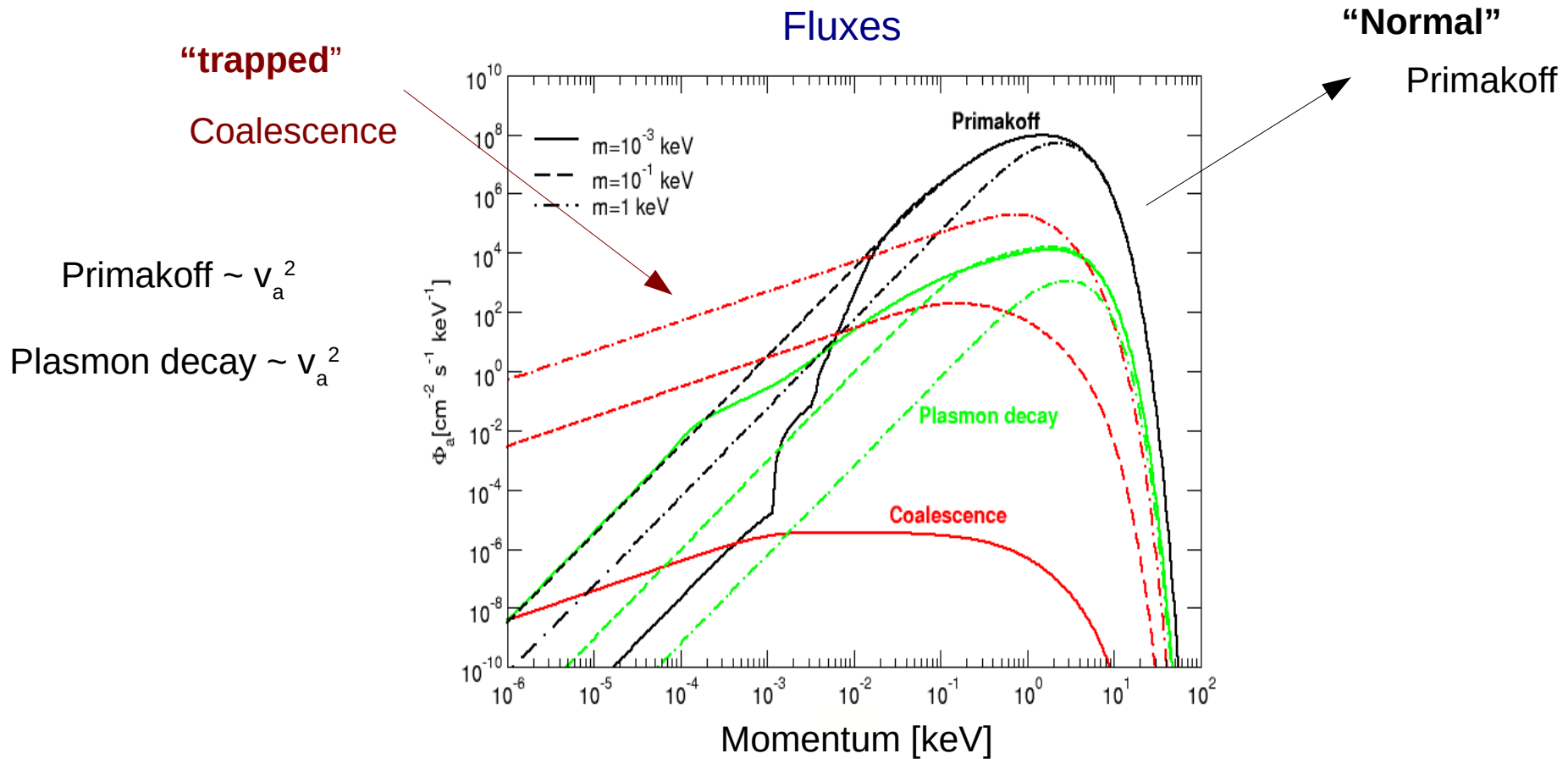
- KK axions produced with a small \mathbf{E}_{kin} (small p) are “**trapped**” in the sun gravitational field (bounded orbits)



$$D_{ST} = 215.7 R_{sun}$$

KK axions and solar flux ($g_{ae}=0$): “trapped” axions

- KK axions produced with a small E_{kin} (small p) are “trapped” in the sun gravitational field (bounded orbits)



KK axions and solar flux ($g_{ae}=0$): “trapped” axions

- no. density of trapped (non-relativistic) axions:

$$\frac{dn_a^T}{dt} = S_a^T - \Gamma_{a\gamma\gamma} n_a^T \quad \text{Decay}$$

“Source” (Coalescence): $S_a^T = \frac{m^3}{(2\pi)^3} \int_{\text{Sun}} dV \int dv \underbrace{2\pi v^2 N_\delta \delta(f_T(v))}_{\text{Solar Model (Saclay Solar Model)}} \Gamma_{a\gamma\gamma} f_a^{\text{eq}}(m/T)$

$$\bar{\Phi}_G = \left(\frac{GM}{R_{\text{sun}}}\right)^{-1} \Phi_G \quad \text{Sun grav. Pot.}$$

$$\bar{r} = r/R_{\text{sun}}$$

Velocity constraint for trapped axions

$$\sqrt{2(\bar{\Phi}_G - 1/\bar{r})}/(2\pi\bar{r}^4)$$

- Summing over the KK-tower

$$n_{\text{KK}}^T \simeq \frac{2.2 \times 10^{14} \text{ cm}^{-3}}{2\pi\bar{r}^4} g_{10}^2 \int dm \rho(m) m^6 \frac{(1 - e^{-\Gamma_{a\gamma\gamma} t_{\text{sun}}})}{\Gamma_{a\gamma\gamma} t_{\text{sun}}} \int \bar{r}_0^2 d\bar{r}_0 f_a^{\text{eq}} \sqrt{2(\bar{\Phi}_G - 1/\bar{r})}$$

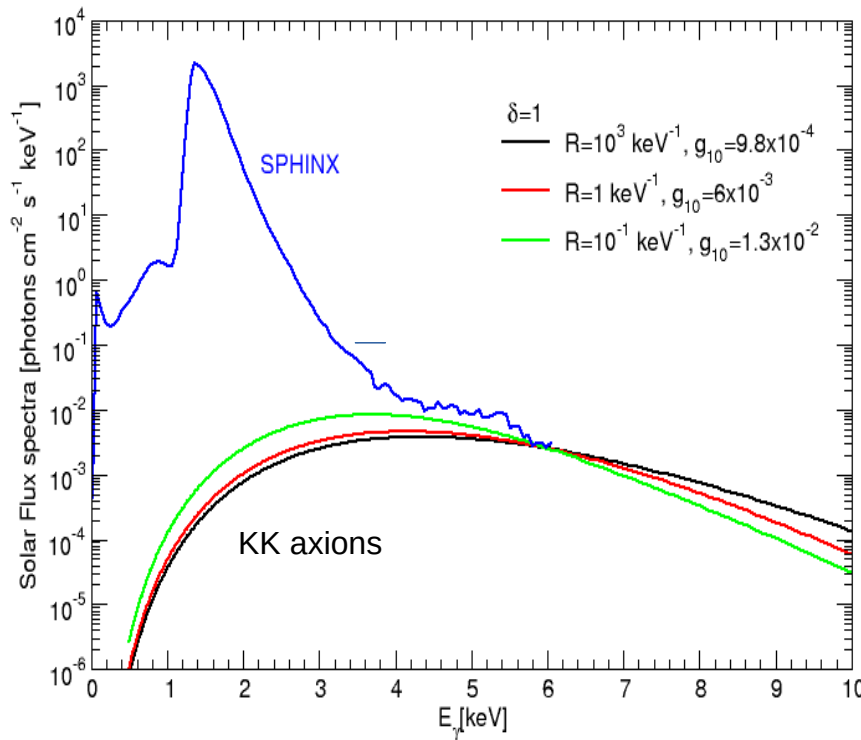
$$[g_{10} = g_{a\gamma\gamma} 10^{10} \text{ GeV}]$$

KK axions and solar flux ($g_{ae}=0$): “trapped” axions

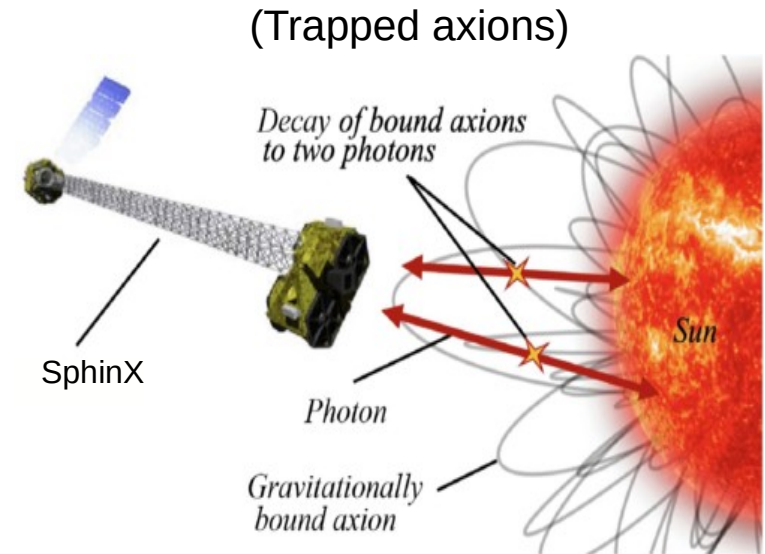
- They will contribute to the **solar luminosity**

Flux of photons that enters the FoV of the detector:

$$\frac{dF}{dE_\gamma} = 2\rho(m)\Gamma_{a\gamma\gamma} \int_{\text{FoV}} d r^3 \frac{r^2}{4\pi D^2} n_a^T(r, m)$$



[SPHINX: Sylwester et al., 1203.6809; 1912.030823]



When compared to recent limits by SPHINX on the solar luminosity, this sets an upper limit on the axion-photon coupling

- **Even rate in a detector on Earth:**

$R \simeq 3 \times 10^{-7} \text{ day}^{-1} \text{ m}^{-3}$

Too small!!

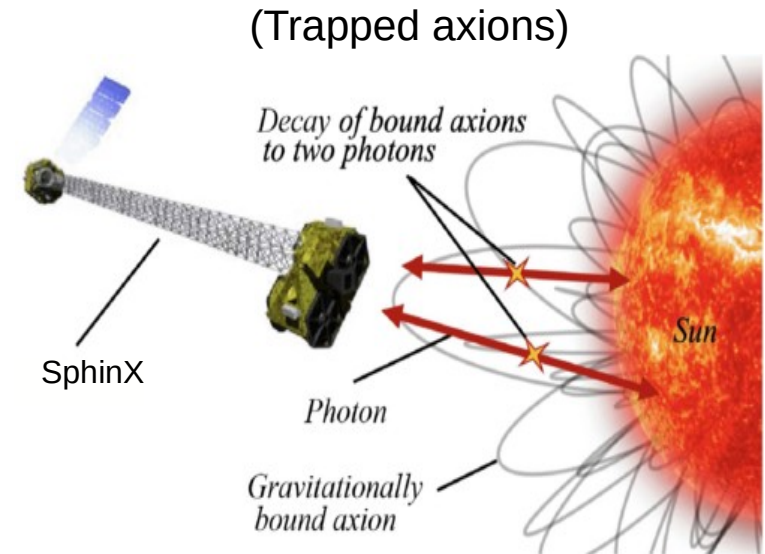
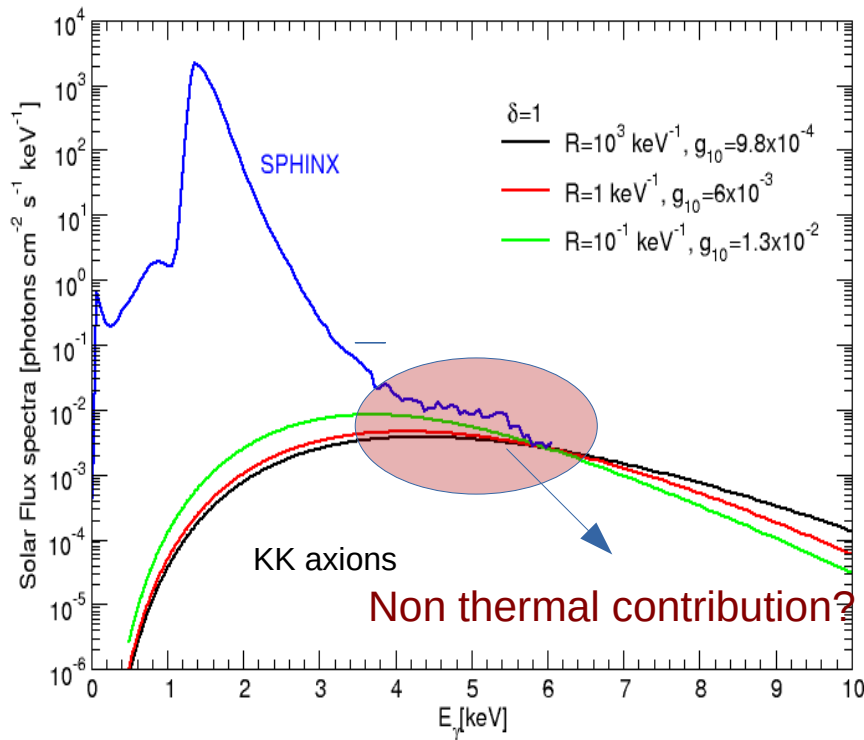
$[R \propto g_{a\gamma\gamma}^4]$

KK axions and solar flux ($g_{ae}=0$): “trapped” axions

- They will contribute to the **solar luminosity**

Flux of photons that enters the FoV of the detector:

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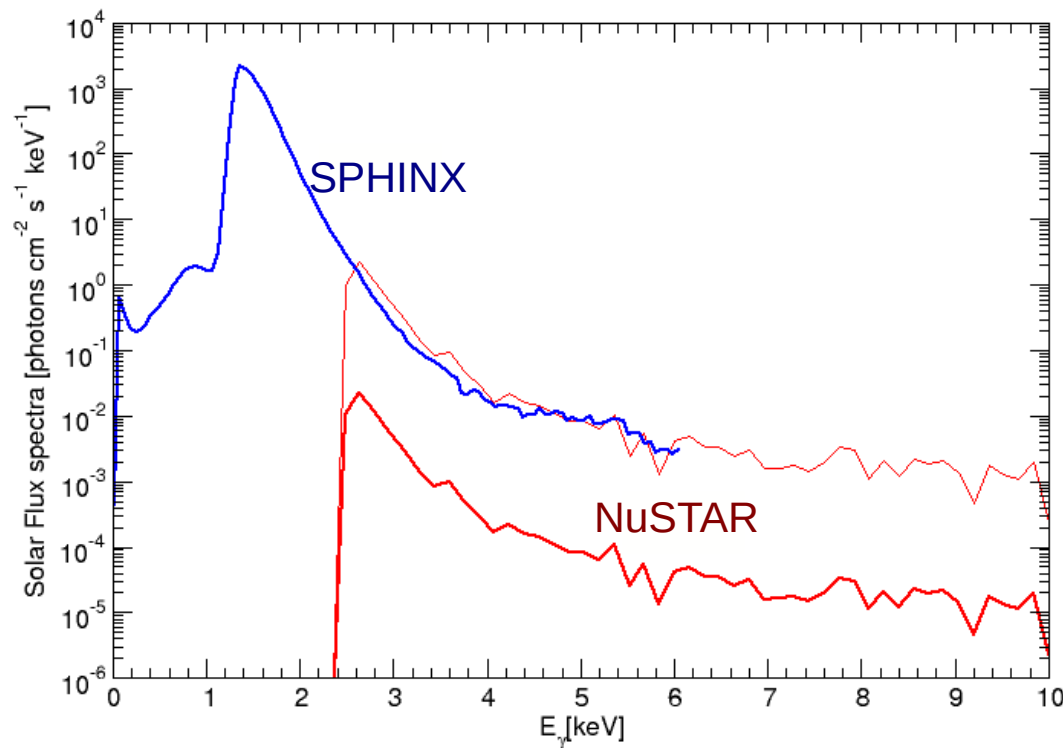
$$[R \propto g_{a\gamma\gamma}^4]$$

Solar constrains on ALPs couplings to photons and electron

[Van Tilburg PRD104 (2021); DeRocco et al., PRL 129 (2022)]

[MBG et al, arXiv:2303.06968]

- ALP with masses \sim keV produced in the Sun, and “trapped” in its gravitational field
- They decay and contribute to the Solar luminosity observed by SPHINX and NuStar (during period of low solar activity)
- They may/may not account for the DM



Different FoV:

SPHINX: 120x120 arcmin

NuSTAR: 12x12 arcmin

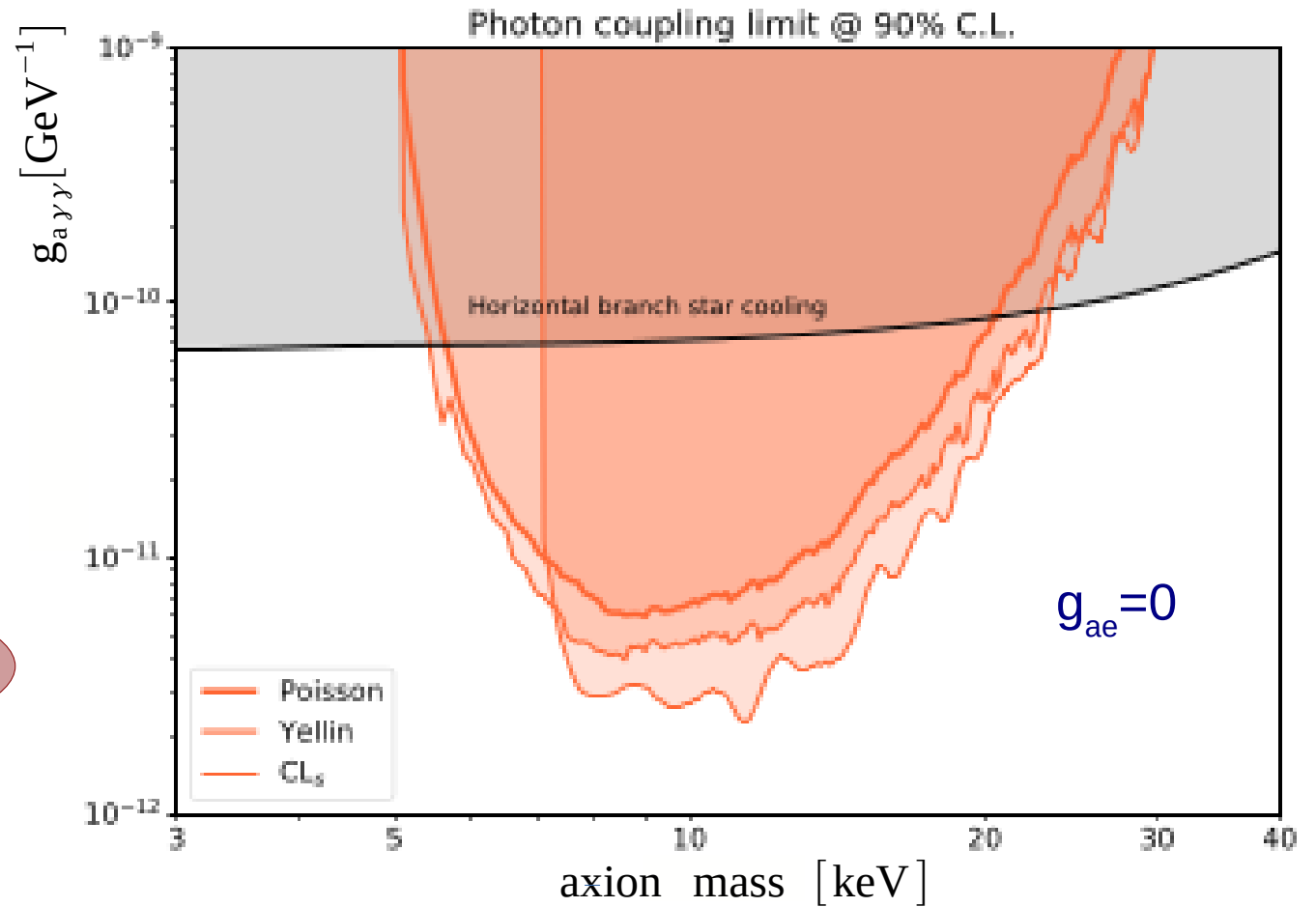
[SPHINX: Sylwester et al., 1203.6809; 1912.030823]

[NuSTAR: Harrison et al. Astrophys. J. 770 (2013)]

Solar constraints on ALPs couplings to photons

DeRocco et al., PRL 129 (2022)

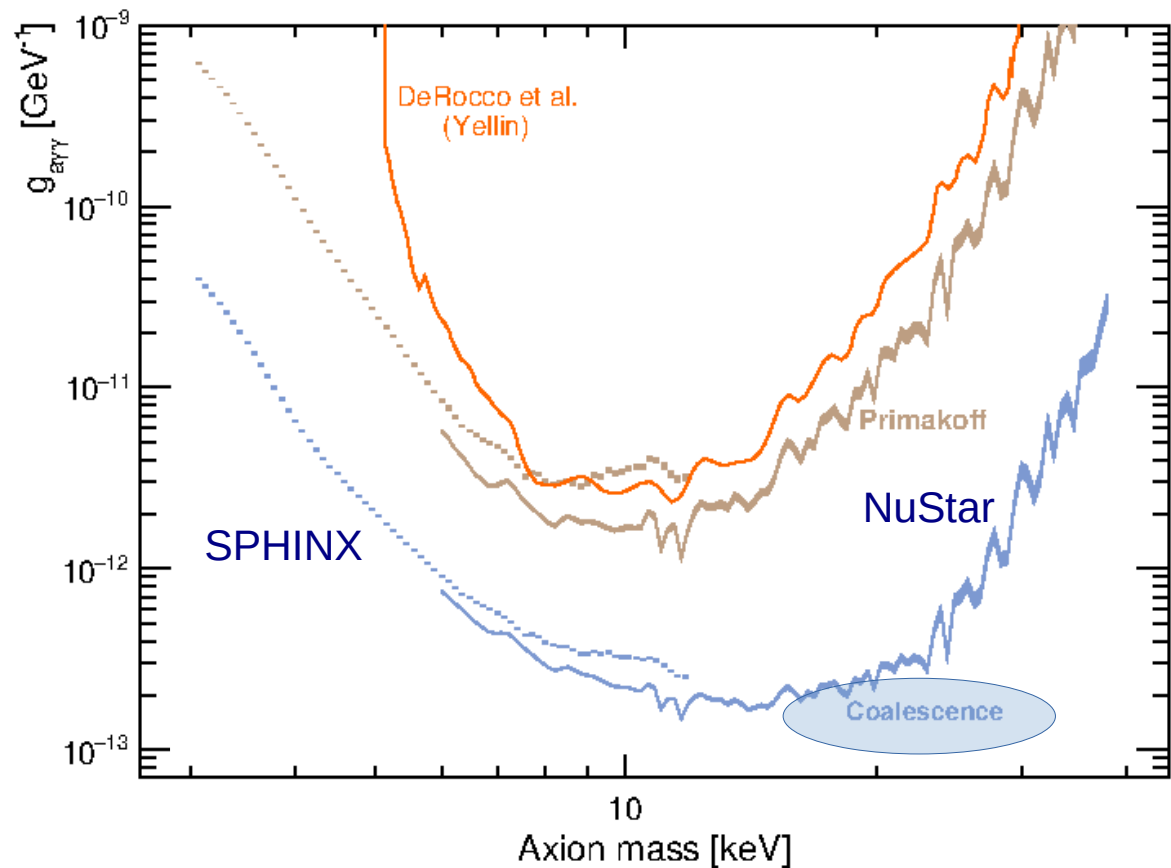
- **Production:** Primakoff, only suppressed by $v_e^2 \sim 3T/m_e$ when taking into account thermal effects
- **Solar data:** NuStar



$$m \simeq 10 \text{ keV}, g_{a\gamma\gamma} \simeq 2 \times 10^{-12} \text{ GeV}^{-1}$$

Solar constrains on ALPs couplings to photons

- **Coalescence** production still dominant: lower limit \sim one order of magnitude
- **Solar data:** NuStar + SPHINX
- Limits on photon coupling when $g_{ae}=0$



$m \simeq 10 \text{ keV}, g_{a\gamma\gamma} \simeq 2 \times 10^{-13} \text{ GeV}^{-1}$

Solar constrains on ALPs couplings to photons and electrons

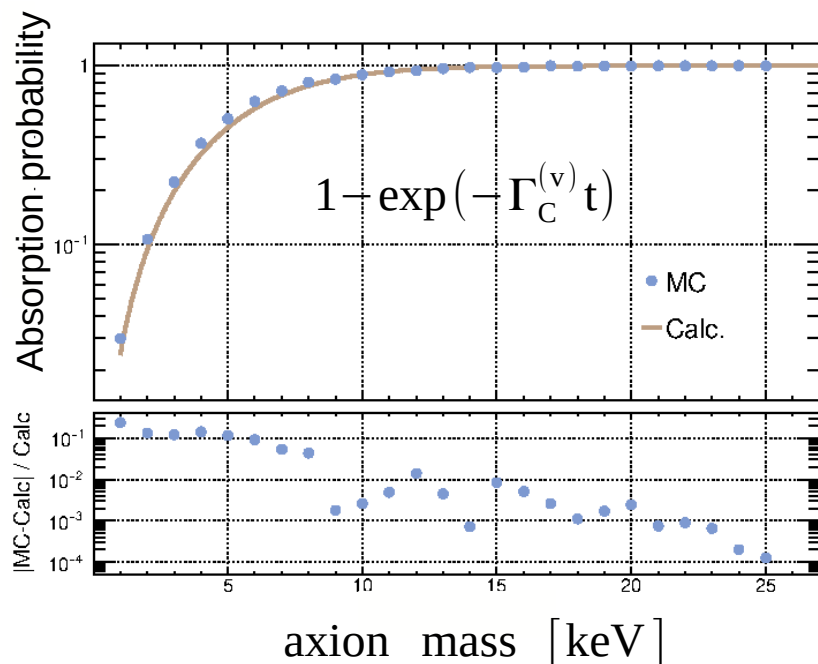
- Compton will dominate when $g_{ae} \sim 10^{-13}$ $\gamma + e \rightarrow a + e$
- Axions in bounded orbits can be “re-absorbed” by (inverse) Compton $a + e \rightarrow \gamma + e$

- No. density of trapped axions:

$$\frac{dn_a^T}{dt} = S_a^T - (\Gamma_{a\gamma\gamma} + \Gamma_C^{(v)}) n_a^T$$

“Source” Decay Compton absorption rate, velocity dependent

$$\Gamma_C^{(v)} = \frac{\int d\bar{r} \bar{r}^2 \Gamma_C \bar{v} P_T(\bar{v})}{\int d\bar{r} \bar{r}^2 \bar{v} P_T(\bar{v})}$$



- Velocity distribution: comparing with the Monte Carlo

$$P_T(\bar{v}) \simeq \Phi_L(\bar{v}, \mu, \sigma)$$

Landau Distrib.

$$\mu \simeq 0.08, \sigma \simeq 0.1 - 0.2$$

$$n_a^T \sim S_a^T \frac{(1 - e^{-t(\Gamma_{a\gamma\gamma} + \Gamma_C^{(v)})})}{\Gamma_{a\gamma\gamma} + \Gamma_C^{(v)}}$$

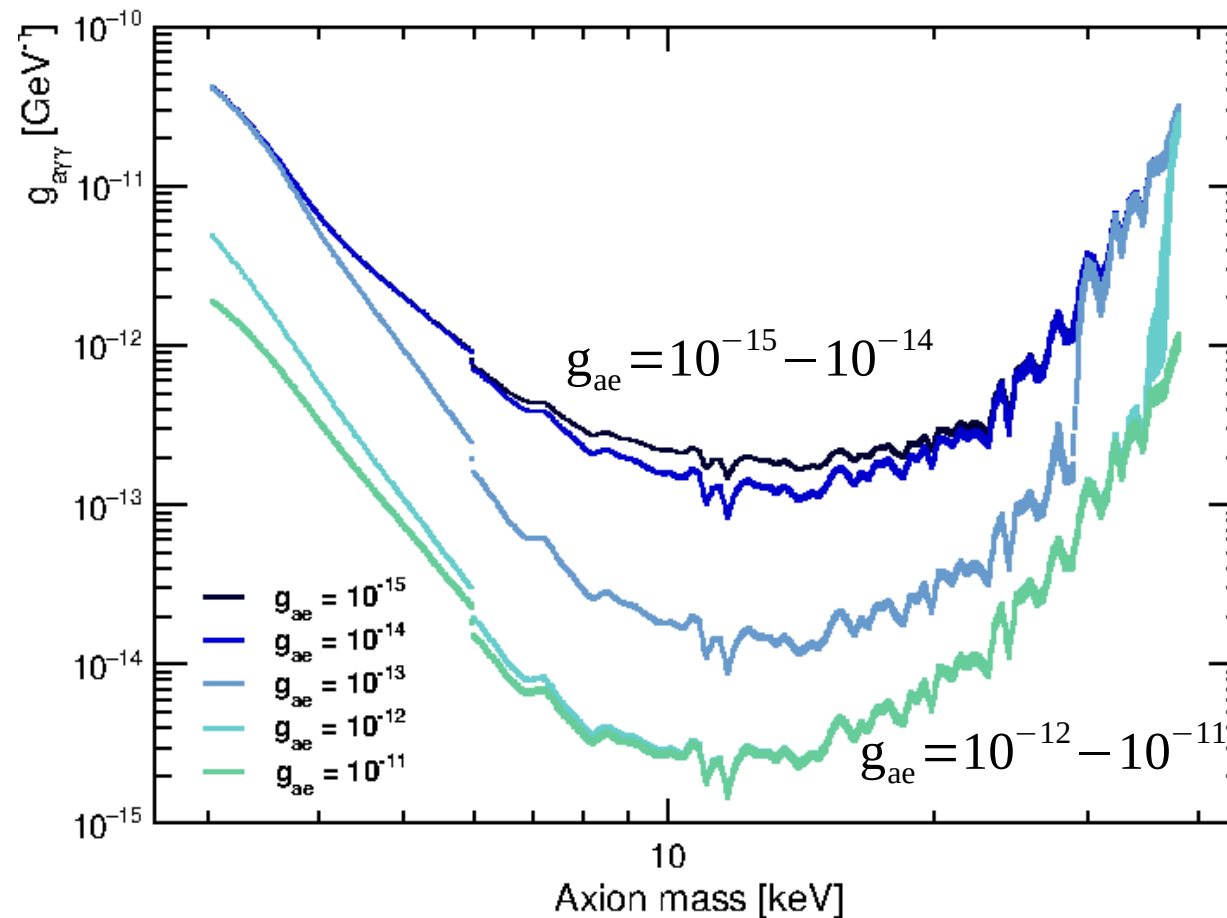
Solar constraints on ALPs couplings to photons and electrons

- Primakoff, Coalescence: $n_a^T \propto g_{a\gamma\gamma}^4 \frac{(1 - e^{-(\Gamma_{a\gamma\gamma} + \Gamma_C^{(v)})t_{\text{Sun}}})}{(\Gamma_{a\gamma\gamma} + \Gamma_C^{(v)})t_{\text{Sun}}}$

- Compton, Bremss.: $n_a^T \propto g_{a\gamma\gamma}^2 g_{ae}^2 \frac{(1 - e^{-(\Gamma_{a\gamma\gamma} + \Gamma_C^{(v)})t_{\text{Sun}}})}{(\Gamma_{a\gamma\gamma} + \Gamma_C^{(v)})t_{\text{Sun}}}$ $g_{ae} \gg 10^{-13}$ \rightarrow

Compton Prod/Absorp
balance each other

$$n_a^T \propto g_{a\gamma\gamma}^2$$



Solar constrains on ALPs couplings to photons and electrons

- Primakoff, Coalescence:
$$n_a^T \propto g_{a\gamma\gamma}^4 \frac{(1 - e^{-(\Gamma_{a\gamma\gamma} + \Gamma_C^{(v)}) t_{\text{Sun}}})}{(\Gamma_{a\gamma\gamma} + \Gamma_C^{(v)}) t_{\text{Sun}}} t_{\text{Sun}}$$

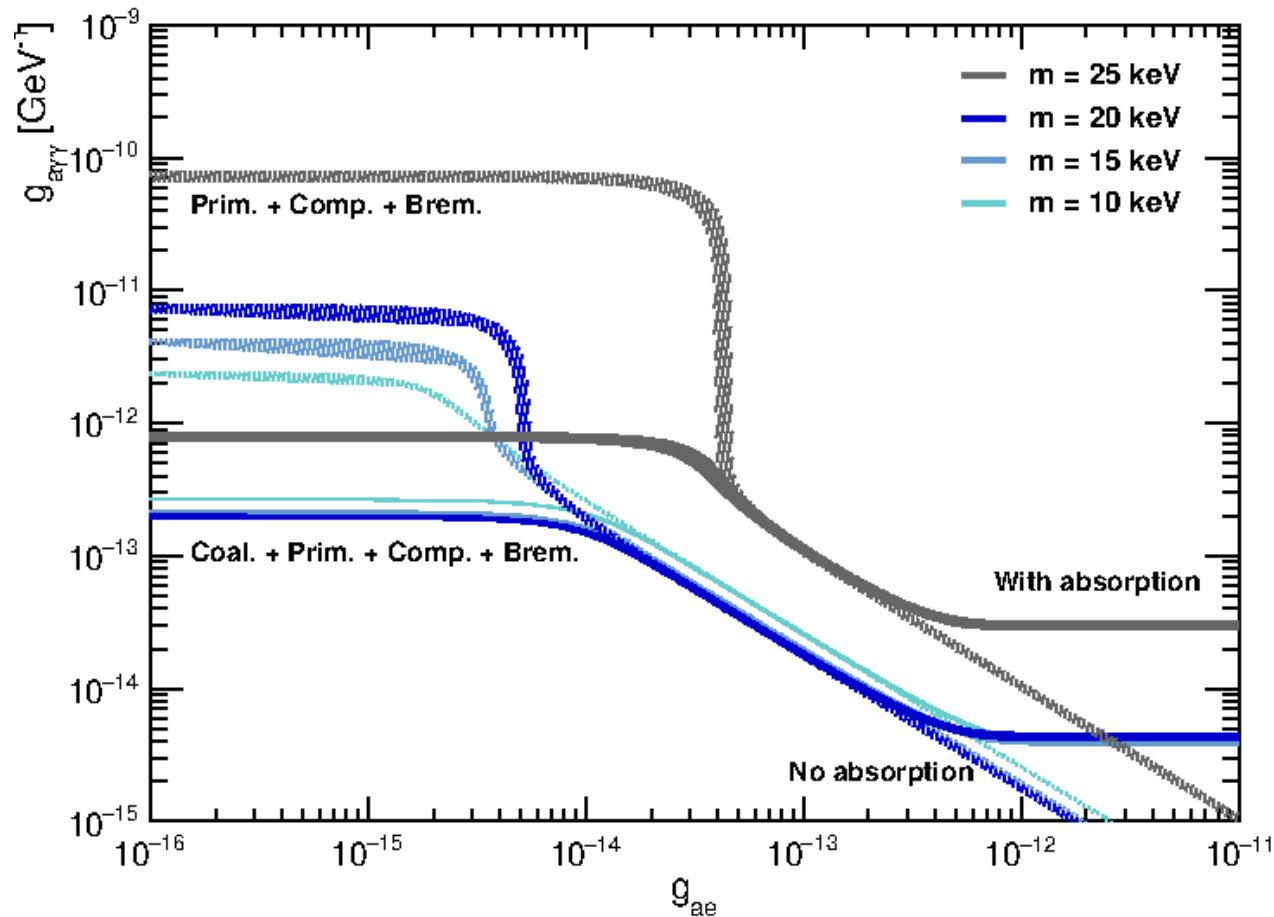
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$$g_{ae} \gg 10^{-13}$$



Compton Prod/Absorp
balance each other

$$n_a^T \propto g_{a\gamma\gamma}^2$$



Irreducible ALP background

Langhoff, Outmezguine & Rodd arXiv:2209.06216

- ALPs may be produced by different mechanism in the Early Universe (pre BBN)
- Although their final abundance is model dependent, there is an **irreducible abundance** due to their coupling to photons and electrons

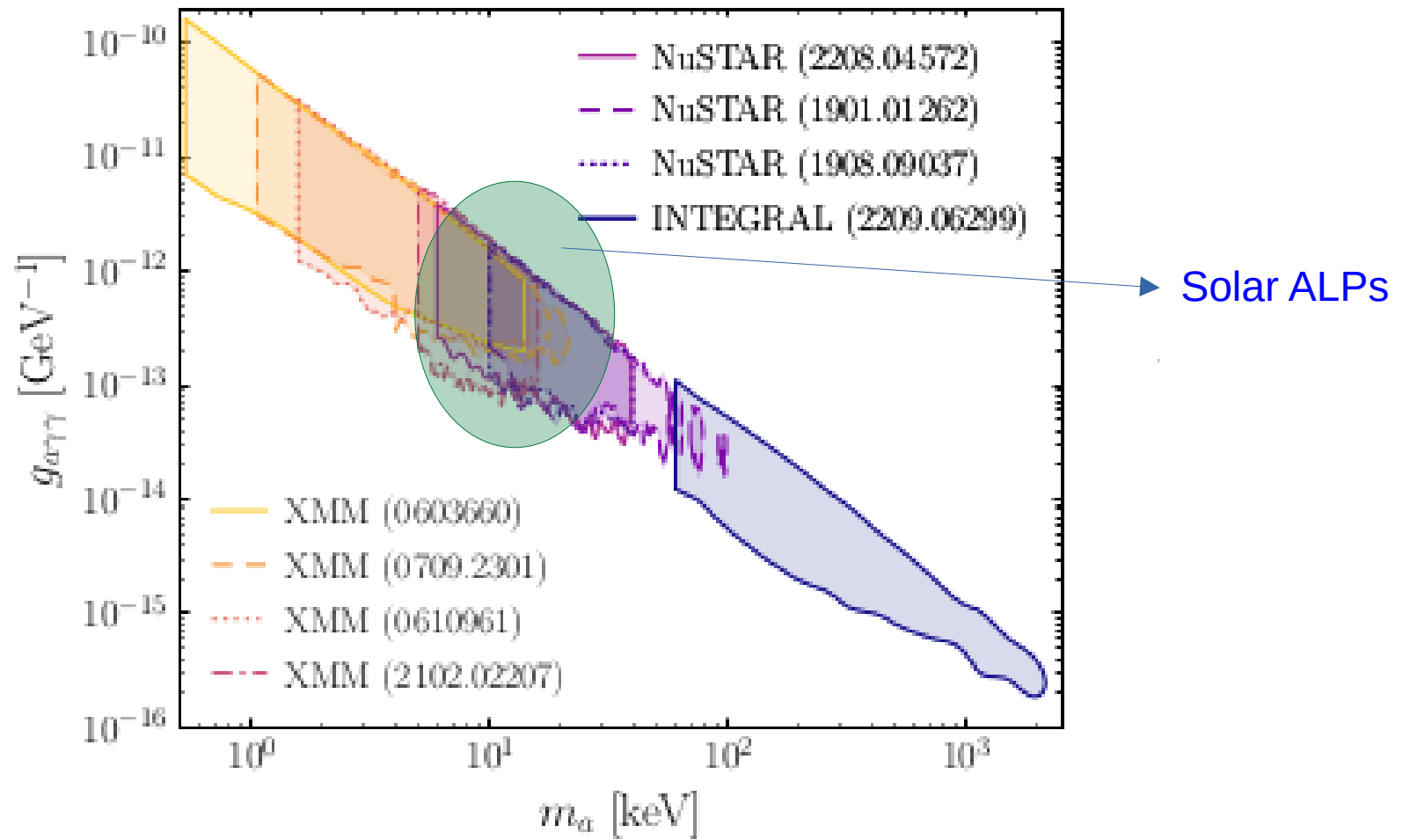
$$\frac{d n_a}{d t} + 3 H n_a = S_a - \Gamma_{a \gamma \gamma} n_a$$

Source: coalescence, Primakoff, Compton-like

- Freeze-in mechanism: no previous ALP no. density, start the integration just before BBN at $T=5$ MeV (radiation dominated universe, this sets the Hubble parameter H)
- Their decay into photons give rise to a signal in X-rays (**decaying DM**)
- To compare with data, one assumes that the ALP energy density distribution is the same than the local DM density distribution

Irreducible ALP background

Langhoff, Outmezguine & Rodd arXiv:2209.06216

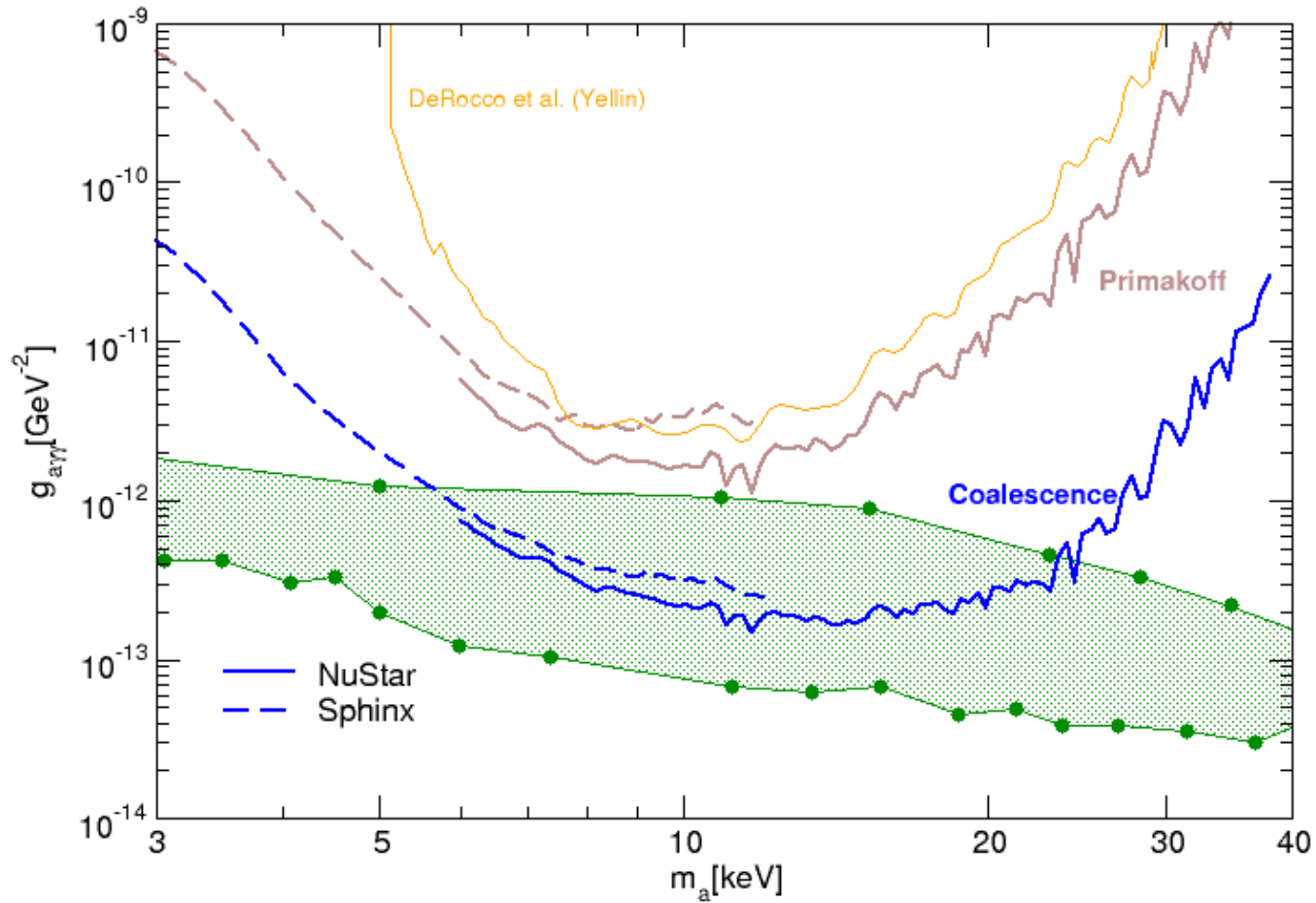


Irreducible ALP background

Langhoff, Outmezguine & Rodd arXiv:2209.06216

[MBG et al, arXiv:2303.06968]

Similar limit on $g_{a\gamma\gamma}$ for $m_a \sim 10$ keV



Summary

- Axions/ALP are PNCB associated to the breaking of a global U(1) symmetry: they are good candidates for cold DM

$$\text{Axions (QCD)} \quad m_a \simeq 6\mu\text{eV} \left(\frac{10^{12}\text{GeV}}{f_a} \right)$$

$$\text{ALP: } m_a \sim [10^{-12}\text{eV}, 10^3\text{TeV}], \quad f_a$$

- Rich phenomenology, and different direct/indirect constraints on their couplings to photons and electrons
- Sun can efficiently produced ALPs (and axions) with masses upto $\sim \text{keV}$
("Solar Telescopes" like CAST, IAXO looking for them...)
- Direct detection: directional detection experiments, like MIMAC, could detect ALPs with $m_a \sim \text{keV}$ through the **decay** into 2 γ 's (identical photons)
- **KeV ALPs** are "trapped" by the Sun gravitational field, and produced dominantly by **Coalescence** (inverse decay) instead of **Primakoff**, but the **detection rate is too low**
- Even if no detectable in DD experiments, their decay will contribute to the Solar luminosity, and must be below current limits by SPHINX and NuSTAR: **constraints** on $g_{a\gamma\gamma}$ and g_{ae}
- **Small** values of $g_{ae} < 10^{-13}$: **Coalescence** production dominates and set the limit on the coupling to photons
- **Large** values of $g_{ae} > 10^{-13}$: **Compton** production dominates, but it is counter-balanced by Compton absorption
Limit on the coupling to photons independent on the limit to electrons